## Backscattering and common-base current gain of the Graphene Base Transistor (GBT)

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**Introduction**: A new device based on tunneling across thin dielectrics and 2D materials has been proposed recently: the Graphene Base Transistor (GBT, [1]). It is a vertical structure where a low resistance graphene base (B, the control electrode, x=0 in **Fig. 1**) is separated from a metal or semiconducting emitter (E) and a metal collector (C) by emitter-base and base-collector insulators (EBI and BCI, respectively). In normal operation ( $V_{BE}>0$ ,  $V_{CB}>0$ ), electrons tunnel into the EBI conduction band (CB), cross the base perpendicularly to the graphene sheet (GR) and drift across the BCI (**Fig. 1**). The GBT functionality has been experimentally demonstrated in DC [1, 2] and simulations predict cut-off frequencies ( $f_T$ ,  $f_{MAX}$ ) in the THz range [3, 4]. Ideally, the graphene should be transparent to the electrons' flow; in practice, experiments show a large base current ( $I_B$ ) that severely limits the common-base current gain ( $\alpha_F=I_C/I_E$ ) [1, 2].

**Abstract:** In this paper, we investigate electron transport and backscattering in the EBI and BCI as possible root causes of the base current and of the common-base current gain degradation in GBTs by means of a Monte Carlo (MC) transport model. Backscattering limited  $\alpha_F$  values are found to be much higher than experiments in [1, 2], suggesting that state-of-theart technology is still far from being optimized, but they are low enough to limit the maximum achievable performance.

**Model**: To study  $\alpha_F$  in the GBT, we developed a dedicated single-particle Monte Carlo simulator for transport in EBI and BCI. Consistently with [4], we neglect hole injection from the GR to the EBI, since it is expected to provide a negligible reduction of the emitter efficiency, hence of  $\alpha_F$ . We extend the model of [5] to a non-parabolic CB with non-parabolicity parameter  $\alpha$  (**Tab. 1**). Both emission and absorption of polar optical and non-polar acoustic phonons in the dielectrics are considered as scattering mechanisms. We assume injection into the EBI CB (at  $x_{inj}$ , **Fig. 1**) by Fowler-Nordheim tunneling from the emitter Fermi energy. Electron free flights and scattering events are alternated until particles exit the GBT, either arriving from the BCI with positive velocity to the C terminal (contributing to I<sub>C</sub>), or impinging the GR with negative velocity due to backscattering in the BCI (contributing to I<sub>B</sub>, **Fig. 1**). Then we calculate  $\alpha_F = I_C/(I_C+I_B)$ . In the lack of a consolidated theoretical framework to compute the direct capture by the GR of electrons impinging the EBI/GR interface, this contribution to I<sub>B</sub> is neglected. Calculated  $\alpha_F$  is thus an upper estimate. We start with SiO<sub>2</sub> EBI and BCI, since calibrated scattering parameters are available ([6], **Tab. 1**), and then we analyze high-*k* EBI and BCI as used in optimized GBTs [3, 4].

**Results:** Fig. 2 shows the electron concentration (*n*) and average velocity ( $v_x$ ) for a few V<sub>BE</sub> values. The abscissa  $x_{inj}$  moves backward as V<sub>BE</sub> is increased, as expected. The *n* in the EBI decreases along *x* (Fig. 2a), because electrons are accelerated by the field (Fig. 2b). In the BCI, instead, *n* and  $v_x$  are essentially constant. This result confirms the assumptions behind the electrical model in [3] that estimates the maximum  $f_T$  by accounting for space charge effects.

Fig. 3a shows the average kinetic energy (AKE) of electrons at the EBI/GR interface computed with and without scattering. Scattering induces a limited energy relaxation in the EBI layer. Fig. 3b reports the probability density of the angle ( $\theta$ , inset in Fig. 1) between the electron velocity and the x axis for the electrons hitting the EBI/GR interface from the left; the distribution peak approaches  $\theta=0$  as  $V_{BE}$  increases, due to preferential orientation of the velocity vector. Concerning the transport in the BCI, for increasing V<sub>BE</sub>, the AKE of electrons entering the BCI is larger (Fig. 3a), hence, the average number of backscatterings in the BCI increases,  $I_B$  increases and  $\alpha_F$  is reduced (Fig. 4). Therefore backscattering sets an upper limit to  $\alpha_{\rm F}$ . In addition, the field in the BCI decreases for increasing BCI thickness, leading to more backscatterings and reduced  $\alpha_{\rm F}$  (Fig. 4b). A similar trend is observed for increasing EBI thickness (Fig. 4a). Optimized GBTs typically feature different materials for the EBI and BCI [3, 4]. For  $\Delta E = (\chi_{BCI}, \chi_{EBI}) > 0$  (see **Fig.1**, where  $\chi$  is the electron affinity) the AKE in the BCI and the fraction of electrons that suffer backscattering increase, further reducing  $\alpha_F$  (empty symbols, Fig. 4a). For comparison with available data [1], we also simulated a GBT with a 5.0 nm SiO<sub>2</sub> EBI and a 25 nm Al<sub>2</sub>O<sub>3</sub> BCI. Scattering parameters are those in **Tab. 1**, where the  $Al_2O_3$  acoustic phonon scattering deformation potential  $C_{ae}$  is tentatively set equal to that of SiO<sub>2</sub>. The simulated  $\alpha_F$  (Fig. 5) shows  $V_{BE}$  and  $V_{CB}$  dependencies consistent with experiments of [1] (not shown), while the calculated values (0.5-0.9) are much larger than measurements  $(10^{-3}-7\times10^{-2})$  [1, 2], but still small enough to pose a severe limit to the GBT static performance. If the scattering probability in the BCI is increased by choosing Cae as high as 10 eV,  $\alpha_F$  decreases (triangles vs. circles in Fig. 6a), but not enough to match the measurements. Moreover, the V<sub>BE</sub> dependence becomes stronger, while the  $V_{CB}$  dependence is reduced (Fig. 6b). An increase of the CB mass up to 0.6m<sub>0</sub> (possibly justified by the large electron-phonon coupling in Al<sub>2</sub>O<sub>3</sub> [7, 8] lowers  $\alpha_{\rm F}$ , but again not enough to match the experiments (Fig. 7).

**Conclusions**: the results of the MC simulations validate some of the assumptions made to develop the GBT performance model in [3], and suggest that backscattering from the BCI to the GR can pose a severe limit to  $\alpha_F$ . The parameter uncertainties appear inadequate to reconcile simulations with experiments, thus pointing out that additional physical mechanisms (e.g. interface traps and direct electron capture by the GR) are responsible for the low measured  $\alpha_F$  and further device optimization is needed.

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**Fig. 1**: Conduction band diagram of the GBT. The electrons injected from the EBI through the graphene scatter in the BCI and either reach the collector (contributing to  $I_C$ ) or backscatter to the base and captured by the graphene (thus contributing to  $I_B$ ). The inset shows the GBT structure and the definition of  $\theta$ .



**Fig. 2**: Electron concentration (top) and average electron velocity (bottom) along a GBT device with EBI and BCI made in SiO<sub>2</sub> ( $t_{EBI}$ =3nm,  $t_{BCI}$ =12 nm) for a few values of  $V_{BE}$ .



**Fig. 3**: Electron energy (a) and probability distribution of the angle  $\theta$  (inset in Fig. 1) of incidence (b) at the EBI/GR interface (x=0 in Fig. 1). Ballistic electron transport is reported as a reference (dashed line).

	χ	mI	α	ε <sub>stat</sub>	$\epsilon_{int}$	€∞	$\omega_{LO1}$	ω <sub>LO2</sub>	C <sub>ae</sub>
Units	eV	m <sub>0</sub>	$eV^{-1}$	ε0	ε0	ε0	meV	meV	eV
SiO <sub>2</sub>	0.95	0.5	0.2	3.9	3.15	2.19	153	63	2.1
$Al_2O_3$	1.65	0.4	0.2	10	7.27	3.2	109	63.3	2.1
	[9]	[9]		[9]	[10]	[10]	[8]	[8]	

*Tab1*: Scattering parameters used in the simulations of Fig. 5. SiO<sub>2</sub> parameters from [6].

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**Fig.** 4:  $\alpha_F$  versus  $V_{BE}$  for different EBI thickness  $(t_{EBI})$  and  $\Delta E$  for  $t_{BCI}=12$  nm (a) and for different BCI thickness  $(t_{BCI})$  with  $t_{EBI}=2$  nm (b). EBI and BCI made of SiO<sub>2</sub>.



**Fig. 5**: Simulated  $\alpha_F$  as a function of  $V_{BE}$  for a GBT with EBI in SiO<sub>2</sub> and BCI in Al<sub>2</sub>O<sub>3</sub>. Scattering parameters as in Tab.1.



**Fig. 6**: Simulated  $\alpha_F$  as a function of  $V_{BE}$  (a) and  $V_{CB}$  (b) for the GBT of Fig. 5.  $C_{ae}$  is used as a free parameter.



**Fig. 7**: Simulated  $\alpha_F$  as a function of  $V_{BE}(a)$  and  $V_{CB}(b)$  for the GBT of Fig. 5 and by using  $m_I$  as a parameter.